
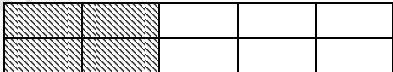
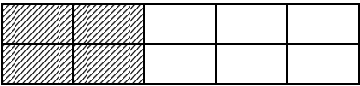

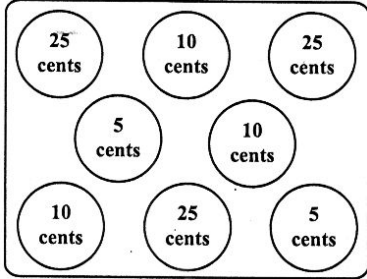


SEA MATHS 2013

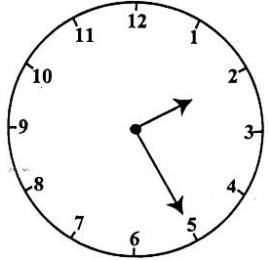
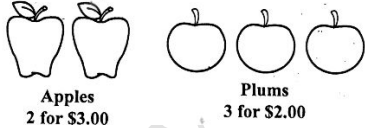
SECTION 1

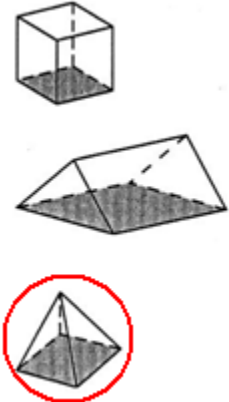

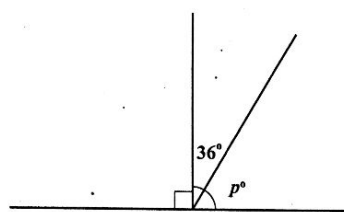
No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here		
			KC	AT	PS
1.	<p>Write in figures: Nine hundred and five thousand and twelve.</p> <p><b>Answer: 905 012</b></p>	<p>Nine hundred and five thousand = 905 000 + Twelve = 12 Total = 905 012</p>			
2.	<p><b>SUBTRACT:</b></p> $\begin{array}{r} 1509 \\ - 846 \\ \hline \end{array}$ <p><b>Answer: 663</b></p>	$\begin{array}{r} \cancel{1}^{14} \cancel{0}^1 9 \\ - 846 \\ \hline 663 \end{array}$			
3.	<p>Express 25% as a fraction in its LOWEST terms.</p> <p><b>Answer: <math>\frac{1}{4}</math></b></p>	<p>25 percent OR 25 per hundred OR 25 hundredths = <math>\frac{25}{100}</math></p> $\frac{25 \div 25}{100 \div 25} = \frac{1}{4}$			
4.	<p>Shade <math>\frac{2}{5}</math> of the shape below.</p>  <p><b>Answer:</b></p> 	<p>The shape is large rectangle divided into 10 equal smaller rectangles. 1 whole = 10 equal parts <math>\frac{2}{5}</math> of the whole = <math>\frac{2}{5}</math> of 10 = <math>\frac{2}{5} \times 10 = 4</math></p> <p>If we shade any four rectangles, then <math>\frac{2}{5}</math> of the shape will be shaded. For example:</p>  <p>OR</p> 			

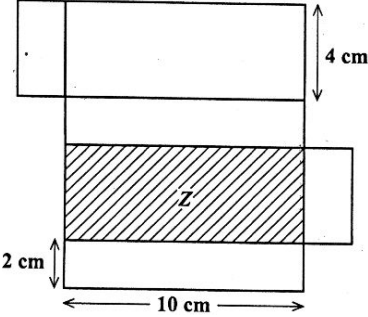
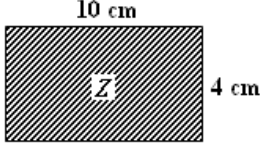
No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here		
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5.	<p><b>MULTIPLY:</b></p> <p><math>6.03 \times 0.04</math></p> <p><b>Answer: 0.2412</b></p>	$6.03 = 6 \frac{3}{100} = \frac{603}{100}$ $0.04 = \frac{4}{100}$ $6.03 \times 0.04 = \frac{603}{100} \times \frac{4}{100}$ $= \frac{603 \times 4}{100 \times 100} = \frac{2412}{10\,000} = 0.2412$			
6.	<p>Write the number 263 to the NEAREST hundred.</p> <p><b>Answer: 300</b></p>	<p>Since we are rounding to the nearest hundred we do not want any digits whose place values are lower than hundreds in our answer.</p> <div style="text-align: center;"> <p>Hundreds Tens</p> <p>2 6 3</p> <p style="margin-left: 100px;">↑</p> <p style="margin-left: 100px;">More than 5</p> </div> <p>Our decision to round up to 300 or round down to 200 depends on the value of the <b>tens</b> digit. This digit, 6, is more than 5. Therefore, we round up by adding 100 to 200 to obtain 300.</p> <p><b>Note:</b> If the tens digit was less than 5, we would round down to 200.</p>			
7.	<p>Complete the sequence below by filling in the missing fraction in the box.</p> $\frac{1}{3}, \frac{3}{6}, \boxed{\frac{5}{9}}, \frac{7}{12}$	$\frac{1}{3}, \frac{3}{6}, \boxed{-}, \frac{7}{12}$ <p><b>Consider the numerators,</b> 1, 3, ?, 7. Each number is 2 more than the number before. So, the missing number is 5.</p> <p><b>Consider the denominators:</b> 3, 6, ?, 12 Each number is 3 more than the number before. So, the missing number is 9.</p> <p>Hence, the missing fraction is: <math>\frac{5}{9}</math></p>			

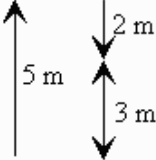
No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here		
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8.	<p>A netball team played 16 games. The team lost 3 games, drew 1 and won the others. What percentage of games did they win?</p> <p><b>Answer: 75%</b></p>	<p>The number of games played = 16                      The number of games lost = 3                      The number of games drawn = 1                      The remainder of the games was won.                      Therefore, the number of games that was won  <math>= 16 - (3 + 1) = 16 - 4 = 12</math>                      The percentage of the games that was won  <math>= \frac{\text{Number of games won}}{\text{Number of games played}} \times 100</math>  <math>= \frac{12}{16} \times 100</math>  <math>= 75\%</math></p>			
9.	<p>Amy has the coins shown in the diagram below.</p>  <p>What is the TOTAL value of all the coins?</p> <p><b>Answer: \$1.15</b></p>	<p>The coins shown in the diagram consists of 3 of 25¢, 3 of 10¢ and 2 of 5¢.                      The value of 3 of 25¢ coins  <math>= 25¢ \times 3 = 75¢</math>                      The value of 3 of 10¢ coins  <math>= 10¢ \times 3 = 30¢</math>                      The value of 2 of 5¢ coins  <math>= 5¢ \times 2 = 10¢</math>                      Hence, the total value of the coins listed in the diagram =</p> $\begin{array}{r} 75¢ \\ 30¢ + \\ \underline{10¢} \\ 115¢ \end{array}$ <p><math>115¢ = \\$1.15</math></p>			
10.	<p>5.08 kilometres = _____ metres</p> <p><b>Answer</b>                      5.08 kilometres = <b>5 080</b> metres</p>	<p>1 kilometre = 1000 metres                      Therefore, 5.08 kilometres, expressed in metres, is  <math>= 5.08 \times 1000</math> metres  <math>= 5\ 080</math> metres</p>			

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11.	<p>Allan sets out to run three laps without stopping. He starts at 10:15 a.m. and each lap takes 15 minutes. At what time does he finish?</p> <p><b>Answer: 11:00 a.m.</b></p>	<p>Each lap takes 15 minutes. Therefore 3 laps will take a total of <math>15 \times 3 = 45</math> minutes</p> <p>The start time = 10:15 a.m. Therefore, the end time will be</p> $\begin{array}{r} 10:15 + \\ \underline{00:45} \\ 11:00 \end{array}$ <p>Allan finishes the laps at 11:00 a.m.</p>			
12.	<p>A bag of flour weighs 4.1 kg and a bag of corn meal weighs 3985 g. By how much is one bag heavier than the other?</p> <p><b>Answer: 115 g</b></p>	<p>The weight of the bag of flour = 4.1 kg = <math>4.1 \times 1000</math> g (1 kg = 1 000 g) = 4100 g The weight of the bag of corn meal = 3985 g 4100 is a larger number than 3985. The difference in weight between the bag of flour and the bag of corn meal, in g is,</p> $4\ 100 - 3985 = 115$ <p>The difference in weight is 115 g, with the bag of flour being the heavier one.</p>			
13.	<p>How many pieces of string 25 cm long can be cut from a piece of string of length 2 m?</p> <p><b>Answer: 8 pieces</b></p>	<p>The length of the original piece of string = 2 m Therefore, the length of the original piece of string, in cm, is = <math>2 \times 100</math> cm = 200 cm (1 m = 100 cm)</p> <p>The length of each smaller piece of string that is to be cut = 25 cm. Hence, the number of smaller pieces that can be cut from the length is</p> $= \frac{\text{Length of the original piece of string}}{\text{Length of each small piece}}$ $= \frac{200}{25}$ <p>= 8 pieces</p>			

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14.	<p>The clock shown below is 25 minutes slow.</p>  <p>To which number should the longer hand point to show the correct time?</p> <p><b>Answer: 10</b></p>	<p>There are 12 equal intervals of 5 minutes each on the clock face.</p> <p>If the clock is 25 minutes slow, then it should be <math>\frac{25}{5} = 5</math> intervals away from 5 where it should have been.</p> <p>The longer hand points to 5 (as shown) and should point to the number that is 5 intervals away from 5, moving clockwise. It will end up at the number 10 (5+5).</p> <p><b>OR</b></p> <p>One can start at the number 5 and move in a clockwise direction, counting in five-minute intervals to end at 25 minutes.</p> <table style="margin-left: auto; margin-right: auto;"> <tr> <td>.....6</td> <td>7</td> <td>8</td> <td>9</td> <td>10</td> </tr> <tr> <td>↑</td> <td>↑</td> <td>↑</td> <td>↑</td> <td>↑</td> </tr> <tr> <td>5</td> <td>10</td> <td>15</td> <td>20</td> <td>25m</td> </tr> </table> <p>The ending position will be at 10.</p> <p><b>Note that the shorter or hour hand should be drawn closer to the middle of the two numbers, 2 and 3.</b></p>	.....6	7	8	9	10	↑	↑	↑	↑	↑	5	10	15	20	25m			
.....6	7	8	9	10																
↑	↑	↑	↑	↑																
5	10	15	20	25m																
15.	<p>Maya buys some of the apples and plums advertised below.</p>  <p>She buys 4 apples and pays with a \$10.00 bill. How many plums can she buy with the remainder of the money?</p> <p><b>Answer: 6 plums</b></p>	<p>2 apples cost \$3.00. 4 apples will therefore cost twice as much <math>2 \times \\$3.00 = \\$6.00</math></p> <p>The change from \$10.00 will be <math>\\$10.00 - \\$6.00 = \\$4.00</math></p> <p>Maya has \$4 to buy plums For \$2, Maya can buy 3 plums For \$4 Maya can buy <math>3 \times 2 = 6</math> plums.</p>																		

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16.	<p>Circle the pyramid from the set of solids below.</p> 	<p>Pyramids have a point called an apex. The base of a pyramid is not uniform unlike the base of a prism.</p> <p>The first solid is a cube. It has a square base that is uniform throughout its height.. The second solid is a triangular prism. It has a triangular base that is uniform throughout its height (or length in this case). The third shape a square based pyramid. Its square base is non-uniform as it changes in size, getting smaller and smaller until it reaches its apex. It is therefore the one to be circled.</p> 			
17.	<p>The diagram below shows three angles.</p>  <p>Calculate the value of <math>p</math>.</p> <p><b>Answer: 54</b></p>	<p>The straight line is divided into three angles.</p> <p>The sum of all three angles a straight line is <math>180^\circ</math>.</p> <p>The sum of the two given angles  <math>= 90^\circ + 36^\circ</math>  <math>= 126^\circ</math></p> <p>Therefore, the size of the remaining angle  <math>= 180^\circ - 126^\circ</math>  <math>= 54^\circ</math></p> <p><b>The value of <math>p</math> should only be the numerical value of 54.</b></p>			

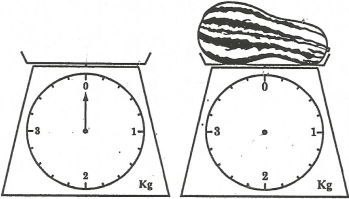
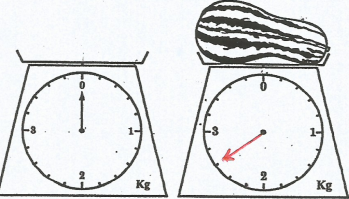
No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here														
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18.	<p>The diagram below shows the net of a cuboid.</p>  <p>What is the area of the shaded face, Z?</p> <p><b>Answer: 40 cm<sup>2</sup></b></p>	<p>The face Z, shown shaded, is a rectangle 4 cm wide and 10 cm long.</p>  <p>The area of a rectangle = length × width The area of the rectangle, Z = 10 × 4 = 40 cm<sup>2</sup></p>															
19.	<p>The table below shows Adam's cricket scores for five days in a week.</p> <table border="1" data-bbox="279 1117 667 1360"> <thead> <tr> <th>Days of the Week</th> <th>Cricket Scores</th> </tr> </thead> <tbody> <tr> <td>Monday</td> <td>9</td> </tr> <tr> <td>Tuesday</td> <td>11</td> </tr> <tr> <td>Wednesday</td> <td>17</td> </tr> <tr> <td>Thursday</td> <td>28</td> </tr> <tr> <td>Friday</td> <td>15</td> </tr> </tbody> </table> <p>Calculate his mean score for that week.</p> <p><b>Answer: 16</b></p>	Days of the Week	Cricket Scores	Monday	9	Tuesday	11	Wednesday	17	Thursday	28	Friday	15	<p>The mean Score = <math>\frac{\text{Total Score}}{\text{Number of Scores}}</math></p> $= \frac{9+11+17+28+15}{5}$ $= \frac{80}{5}$ $= 16$			
Days of the Week	Cricket Scores																
Monday	9																
Tuesday	11																
Wednesday	17																
Thursday	28																
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SECTION II					
No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here		
			KC	AT	PS
21.	<p>Ian doubles a certain number and then adds 6. The result is 24. What is the number?</p> <p><b>Answer: 9</b></p>	<p>To find the number we start with the answer and work backwards reversing the operations along the way. To get 24, Ian <b>added</b> 6 to some number. So, <math>24 = ? + 6</math>, hence, we <b>subtract</b> 6 from 24 to get <math>24 - 6 = 18</math>. Hence, the number was 18 before. But Ian doubled (<b>multiplied</b> by 2) some number to get 18 So, <math>18 = ? \times 2</math> Hence, we <b>divide</b> 18 by 2 to get <math>18 \div 2 = 9</math> The original number is therefore, 9.</p>			
22.	<p>Susan had gained 20 points for being neat and tidy. On Friday, she lost 10% of these points for untidy work. How many points did she have left?</p> <p><b>Answer: 18 point</b></p>	<p>The number of points gained by Susan = 20 The percentage of the total points lost = 10% Therefore, the number of points lost <math>= \frac{10}{100} \times 20</math> <math>= 2</math> The number of points Susan now has left <math>= 20 - 2 = 18</math></p>			
23.	<p>Jack tried to climb 20 m up a coconut tree. For every 5 m he climbed, he fell back 2 m. How far up the tree would he have reached after falling 3 times?</p> <p><b>Answer: 9 m</b></p>	<p>Jack falls back 2 m for every 5 m climbed. Hence, after every fall Jack will be <math>5 - 2 = 3</math> metres further up the tree.</p>  <p>After falling from the tree 3 times, Jack would be <math>3 \times 3 = 9</math> metres up the tree.</p> <p><b>The words slipped or slid is more appropriate than the word fell in this context.</b> <b>Also, the 20m information is irrelevant in the question.</b></p>			



No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here												
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24.	<p>Dad had a piece of rope that was <math>4\frac{3}{4}</math> m long. He cut <math>3\frac{1}{2}</math> m of it to make a swing. What is the length of the remaining piece of rope?</p> <p><b>Answer: <math>1\frac{1}{10}</math> m</b></p>	<p>The original length of the rope = <math>4\frac{3}{4}</math> m            The length of the piece that was cut off = <math>3\frac{1}{2}</math> m            The remaining length of rope is:</p> $4\frac{3}{4} - 3\frac{1}{2}$ $1\frac{2(3) - 5(1)}{10} = 1\frac{1}{10} \text{ m}$													
25.	<p>Mr. Singh planted a tree. Each week, the tree grew by 0.24 m. How many weeks did the tree take to grow 6 m?</p> <p><b>Answer: 25 weeks</b></p>	<p>The growth of the tree per week = 0.24 m            To grow a total of 6 m, the time taken would be <math>\frac{6}{0.24}</math> weeks.</p> $\frac{6}{0.24} = \frac{6 \times 100}{24} = 25 \text{ weeks}$													
26.	<p>Jasmine went to the market and purchased 32 fruits consisting of 6 apples, some oranges and some guavas. She purchased twice as many oranges as apples.</p> <p>She recorded her purchase as shown in the table below.</p> <p>a) Complete the table.</p> <table border="1" style="margin-left: 40px;"> <thead> <tr> <th>Fruit</th> <th>Number Purchased</th> </tr> </thead> <tbody> <tr> <td>Apple</td> <td>6</td> </tr> <tr> <td>(i) Oranges</td> <td>12</td> </tr> <tr> <td>(ii) Guavas</td> <td>14</td> </tr> <tr> <td>Total</td> <td>32</td> </tr> </tbody> </table> <p>b) What percentage of the fruits purchased was apples?</p> <p><b>Answer: <math>18\frac{3}{4}\%</math></b></p>	Fruit	Number Purchased	Apple	6	(i) Oranges	12	(ii) Guavas	14	Total	32	<p>a) The total number of fruits bought = 32            The number of apples bought = 6            The number of oranges bought is twice the number of apples.</p> <p>i. The number of oranges bought  <math>2 \times 6 = 12</math></p> <p>ii. The total number of apples and oranges bought = <math>6 + 12 = 18</math>            Therefore, the number of guavas bought will be  <math>32 - 18 = 14</math></p> <p>b) The percentage of apples purchased</p> $= \frac{\text{Number of apples}}{\text{Total number of fruits}} \times 100$ $= \frac{6}{32} \times 100 = \frac{600}{32}$ $= \frac{75}{4}$ $= 18\frac{3}{4}\%$			
Fruit	Number Purchased														
Apple	6														
(i) Oranges	12														
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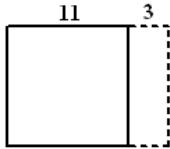
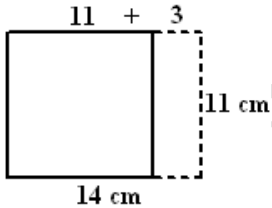
No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here		
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26.	<p>Four digits are shown below.</p> <div style="display: flex; justify-content: space-around; align-items: center;"> <div style="border: 1px solid black; padding: 2px 10px; margin: 2px;">3</div> <div style="border: 1px solid black; padding: 2px 10px; margin: 2px;">9</div> <div style="border: 1px solid black; padding: 2px 10px; margin: 2px;">8</div> <div style="border: 1px solid black; padding: 2px 10px; margin: 2px;">7</div> </div> <p>Using EACH digit only ONCE, write the</p> <p>a) SMALLEST four-digit number</p> <p><b>Answer: 3 789</b></p> <p>b) LARGEST four-digit EVEN number</p> <p><b>Answer: 9 738</b></p>	<p>a) The available digits are:</p> <div style="display: flex; justify-content: space-around; align-items: center;"> <div style="border: 1px solid black; padding: 2px 10px; margin: 2px;">3</div> <div style="border: 1px solid black; padding: 2px 10px; margin: 2px;">9</div> <div style="border: 1px solid black; padding: 2px 10px; margin: 2px;">8</div> <div style="border: 1px solid black; padding: 2px 10px; margin: 2px;">7</div> </div> <p>To find the smallest 4-digit number, the digits need to be arranged in ascending order of size, 3, 7, 8 and 9.</p> <p>Therefore, the smallest four-digit number = 3 789</p> <p>b) For the number to be even, it can only end in 8. Therefore, the 4<sup>th</sup> or units digit is 8. The remaining three digits 3, 7 and 9 must now be arranged from the largest to the smallest. This is 9, 7 and 3.</p> <p>Therefore, the largest even number ending in 8 will be 9 738</p>			
28.	<p>The product of two numbers is 9. One of them is <math>3\frac{3}{5}</math>. What is the other number?</p> <p><b>Answer: <math>2\frac{1}{2}</math></b></p>	<p>The product of the two numbers = 9</p> <p>One of the numbers is <math>3\frac{3}{5}</math>.</p> <p>Therefore, <math>3\frac{3}{5} \times</math> the other number = 9</p> <p>The other number = <math>9 \div 3\frac{3}{5}</math></p> $= 9 \div \frac{18}{5}$ $= \frac{9}{1} \times \frac{5}{18}$ $= \frac{5}{2} \text{ or } 2\frac{1}{2}$			

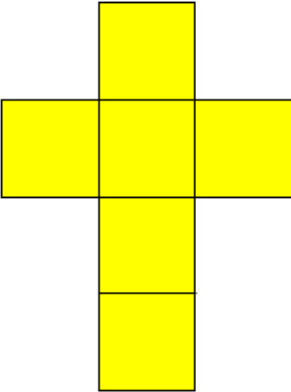
No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here		
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29.	<p>Sam bought 2 snacks at 65¢ each and 1 drink for \$1.25. What is his change from a \$5 note?</p> <p><b>Answer: \$2.45</b></p>	<p>The cost of 2 snacks at 65¢ each  <math>= \\$0.65 \times 2 = \\$1.30 +</math>                      The cost of 1 drink <math>= \underline{\\$1.25}</math>                      Total <math>= \underline{\\$2.55}</math></p> <p>Change received from \$5.00  <math>= \\$5.00 - \\$2.55</math></p> <p style="text-align: right;">\$5.00  <math>-\underline{\\$2.55}</math>  <math>\underline{\\$2.45}</math></p>			
30.	<p>A pumpkin weighing 2.6 kilograms is placed on the scale below.</p>  <p>a) Draw the new position of the pointer when the pumpkin is placed on the scale.</p> <p>b) How many GRAMS does the pumpkin weigh?</p> <p><b>Answer:</b>  <b>(a)</b></p>  <p><b>(b) 2 600 g</b></p>	<p>a) When the pumpkin is placed on the scale, the pointer should point to the weight of 2.6 kilograms, which is the weight of the pumpkin.</p> <p>There are 5 intervals between each number on the scale.</p> <p>Each interval therefore represents <math>\frac{1}{5}</math> kg or 0.2 kg. So, 0.6 kg will be represented by <math>0.6 \div 0.2 = 3</math> intervals</p> <p>Counting the intervals after 2kg, we have:  <math>2.0, 2.2, 2.4, 2.6, \dots</math>  <math>\quad\quad\quad 1 \quad 2 \quad 3</math></p> <p>The pointer should therefore point to 3 intervals after the number 2 on the scale, as shown.</p> <p>b) <math>1 \text{ kg} = 1000 \text{ g}</math>                      Therefore <math>2.6 \text{ kg} = 2.6 \times 1000 \text{ grams}</math></p> <p style="text-align: right;"><math>= 2 \text{ 600 grams}</math></p> <p style="text-align: center;">The pumpkin weighs 2 600 g.</p>			

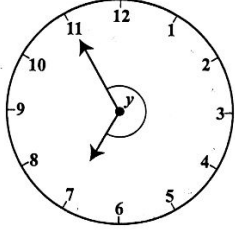
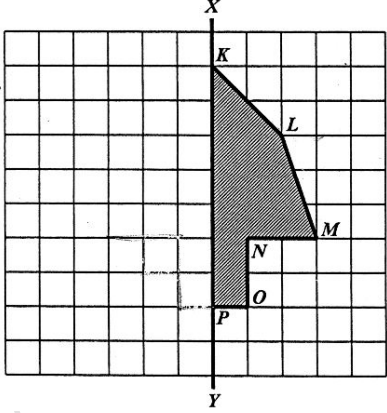
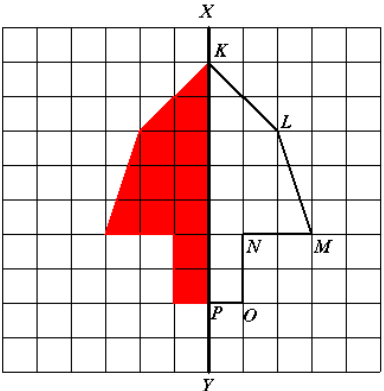
FAS-PASS  
Maths

No.	TEST ITEMS	WORKING COLUMN	Do Not Write Here		
			KC	AT	PS
31.	<p>A table and four chairs together cost \$540. The cost of each chair is \$70. Calculate the cost of the table.</p> <p><b>Answer: \$260</b></p>	<p>The cost of 1 chair = \$70 The cost of 4 chairs = <math>\\$70 \times 4</math> <math>= \\$280</math></p> <p>The cost of 1 table and 4 chairs = \$540 The cost of 1 table + \$280 = \$540 The cost of 1 table = <math>\\$540 - \\$280</math> <math>\\$540</math> <math>-\\$280</math> <math>\underline{\hspace{1cm}}</math> <math>\\$260</math></p> <p>The cost of 1 table = \$260</p>			
32.	<p>Tom works for eight hours each day and is paid \$12 per hour.</p> <p>a) If he works for five days, calculate the total amount he is paid.</p> <p><b>Answer: \$480</b></p> <p>b) When Tom works on Saturdays, he is paid per hour at <math>1\frac{1}{2}</math> times the week-day rate. How much is Tom paid per hour on a Saturday?</p> <p><b>Answer: \$18</b></p>	<p>a) Tom works 8 hours each day. In 5 days, Tom would have worked for <math>5 \times 8 = 40</math> hours. Tom's pay = His hourly pay <math>\times</math> the number of hours worked <math>= \\$12 \times 40</math> <math>= \\$480</math></p> <p>b) Tom's hourly pay on Saturday <math>= 1\frac{1}{2} \times \\$12</math> per hour <math>= \\$18</math></p>			

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33.	<p>The cost price of a television is \$1200. VAT is calculated at 15% of the cost price.</p> <p>a) Calculate the amount of VAT.</p> <p><b>Answer: \$180</b></p> <p>b) Calculate the TOTAL amount that a customer pays for the television.</p> <p><b>Answer: \$1380</b></p> <p>c) Larry bought one of the televisions but later sold it for \$980. Calculate his loss as a percentage of the cost price.</p> <p><b>Answer: <math>28\frac{68}{69}\%</math></b> if Larry paid VAT</p> <p><b>Answer: <math>18\frac{1}{3}\%</math></b> If Larry did not pay VAT</p>	<p>a) VAT = 15% of the cost price</p> $= \frac{15}{100} \times \$1200$ $= \$180$ <p>b) Amount a customer will pay for the television</p> $= \text{Cost price} + \text{VAT}$ $= \$1200 + \$180$ $= \$1380$ <p>c) The selling price of \$980 is less than the price paid of \$1380.</p> <p>The loss = Price paid – Selling price</p> $= \$1380 - \$980$ $= \$400$ <p>Loss as a percentage of the cost price. We must interpret the cost price as Larry's cost price</p> $= \frac{\text{Loss}}{\text{Cost Price}} \times 100$ $= \frac{\$400}{\$1380} \times 100$ $= 28\frac{68}{69}\%$ <p><b>The price of \$1200 is really the 'marked price'. The cost price for the customer is the price plus VAT. However, candidates were told that the cost price was \$1200 and so it may be assumed that Larry did not pay VAT. In such a case, Larry's loss will be:</b></p> $\mathbf{\$1\ 200 - \$980 = \$220}$ <p><b>His loss percent will be:</b></p> $\frac{\$220}{\$1200} \times 100\%$ $= 18\frac{1}{3}\%$			

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34.	<p>The side of a square is 11 cm.</p> <p>a) What is the area of the square?</p> <p><b>Answer: 121 cm<sup>2</sup></b></p> <p>b) What is the perimeter of the same square?</p> <p><b>Answer: 44 cm</b></p> <p>c) Two sides of the square are extended by 3 cm as shown below.</p>  <p>What is the area of the NEW shape?</p> <p><b>Answer: 154 cm<sup>2</sup></b></p>	<p>a) Length of side of square = 11 cm Area = Side <math>\times</math> Side = <math>11 \times 11</math> = 121 cm<sup>2</sup></p> <p>b) Perimeter of Square = Side <math>\times</math> 4 = 11 cm <math>\times</math> 4 = 44 cm</p> <p>c)</p>  <p>The new figure is a rectangle which is 11 cm wide and 11 + 3 = 14 cm long. Area of the rectangle = length <math>\times</math> width = 14cm <math>\times</math> 11cm = 154 cm<sup>2</sup></p>			
35.	<p>\$8.25 was shared between Pam and her sister Rita in proportion to their ages. Pam is 12 years old and Rita is 8 years old.</p> <p>a) Express their ages as a ratio in its SIMPLEST form.</p> <p><b>Answer: 3:2</b></p> <p>b) Calculate the amount of money each girl receives.</p> <p><b>Answer: Pam receives \$4.95 Rita receives \$3.30</b></p>	<p>a) Pam is 12 years old. Rita is 8 years old. Pam's age to Rita's age is 12 to 8. Divide by 4 we get 3 to 2, which is written as 3 : 2</p> <p>b) The amount of money to be shared is \$8.25. The total number of shares is considered as 2 + 3 = 5 Pam receives 3 shares and Rita 2 shares Pam would receive <math>\frac{3}{3+2} = \frac{3}{5}</math> of the total share. <math>\frac{3}{5} \times \\$8.25 = \\$4.95</math> Rita would receive <math>\frac{2}{3+2} = \frac{2}{5}</math> of the share. <math>\frac{2}{5} \times \\$8.25 = \\$3.30</math></p>			

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36.	<p>a) Draw the net of a cube in the space provided below.</p> <p>b) Complete the table below.</p> <table border="1"> <thead> <tr> <th>Shape</th> <th>Edges</th> <th>Vertices</th> <th>Faces</th> </tr> </thead> <tbody> <tr> <td>Cube</td> <td>12</td> <td>8</td> <td>6</td> </tr> </tbody> </table>	Shape	Edges	Vertices	Faces	Cube	12	8	6	<p>a) There are several possible nets of a cube that can be drawn. The net should always consist of 6 squares arranged in a manner that can be folded to form a cube. One such net is drawn for the answer.</p>  <p>b) The number of edges in a cube is 12. The completed table is:</p> <table border="1"> <thead> <tr> <th>Shape</th> <th>Edges</th> <th>Vertices</th> <th>Faces</th> </tr> </thead> <tbody> <tr> <td>Cube</td> <td>12</td> <td>8</td> <td>6</td> </tr> </tbody> </table>	Shape	Edges	Vertices	Faces	Cube	12	8	6			
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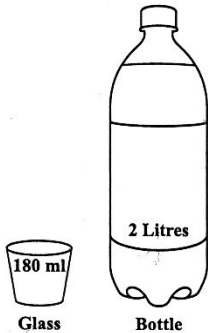
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37.	<p>The angle formed between the hands of the clock shown below is marked with 'y'.</p>  <p>a) Circle the term below that BEST describes angle y.</p> <p>Right angled   Acute   Obtuse   <u>Reflex</u></p> <p>b) Complete the following statement. Angle y measures <b>240</b> degrees</p>	<p>a) Angle y is more than <math>180^\circ</math> and is therefore reflex.</p> <p>b) The circle is divided equally into twelve angles at the centre. The angle between any two numbers next to each other is <math>\frac{360^\circ}{12} = 30^\circ</math>. The number of <math>30^\circ</math> angles between 11 and 7 is 8. Angle <math>y = 30^\circ \times 8 = 240^\circ</math></p> <p><b>It is important to realise that the hands of a real working clock cannot point to 11 and 7 exactly at the same time.</b></p>			
38.	 <p>Draw the image of the shape KLMNOP such that XY is a line of symmetry.</p>	<p>The completed shape will also occupy the same positions on the left hand side of the line XY as does the points L, M, N and O. By locating the image of each of these points we can draw the image of the entire shape. It is illustrated in red in the diagram shown below.</p> 			



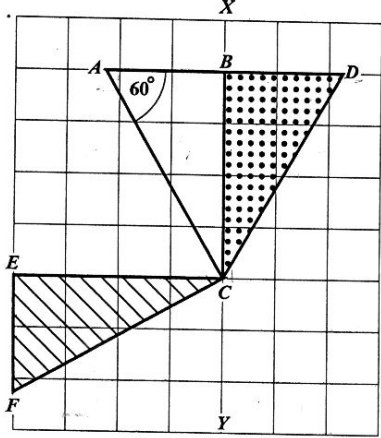
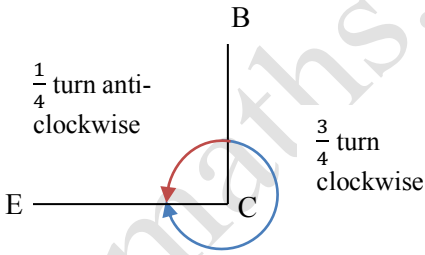
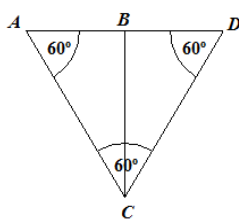
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39.	<p>The diagram below shows three triangles labelled W, X and Y. The line segments marked with the double strokes (  ) are equal in length.</p> <p>a) Which triangle is</p> <ol style="list-style-type: none"> <li>Right-angled?</li> </ol> <p><b>Answer: W</b></p> <ol style="list-style-type: none"> <li>equilateral?</li> </ol> <p><b>Answer: Y</b></p> <p>b) What type of quadrilateral is the whole figure (W, X and Y combined)?</p> <p><b>Answer: Rectangle</b></p>	<p>a) i) The right-angled triangle is <i>W</i> since one of its angles is a right angle.</p> <p>ii) In triangle <i>Y</i>, all the sides are equal. Triangle <i>Y</i> is therefore equilateral.</p> <p>b) The figure is a rectangle.</p> <p>Note that the proof involves the properties of parallel lines and is beyond the scope of the primary curriculum.</p>			
40.	<p>The pie chart below shows how a budget of \$540 was spent on certain school supplies.</p> <p>How many dollars were spent on pens?</p> <p><b>Answer: \$90</b></p>	<p>The circle is divided into 4 sectors. The angles of three of the sectors are <math>126^\circ</math>, <math>54^\circ</math> and <math>120^\circ</math>. The sum of these three angles is <math>126^\circ + 120^\circ + 54^\circ = 300^\circ</math></p> <p>The sum of all the angles at the centre of a circle is <math>360^\circ</math></p> <p>Hence, the angle of the sector representing pens is</p> $= 360^\circ - 300^\circ = 60^\circ$ <p>Therefore, the fraction of the pie chart representing the amount spent on pens is</p> $\frac{60^\circ}{360^\circ} = \frac{1}{6}$ <p>A total of \$540 was spent.</p> <p>The amount of money spent on pens is</p> $\frac{1}{6} \times \$540 = \$90$			

SECTION III					
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41.	<p>Mr. Green bought a box of mangoes. 60% were ripe, 25% were green and the remainder had to be thrown away. The box contained 300 mangoes.</p> <p>a) How many mangoes were ripe?</p> <p><b>Answer: 180</b></p> <p>b) How many mangoes had to be thrown away?</p> <p><b>Answer: 45</b></p> <p>c) Mr. Green paid \$60 for the box of mangoes. Calculate the amount of money he lost.</p> <p><b>Answer: \$9</b></p>	<p>a) 60% of the total number of mangoes were ripe The number of ripe mangoes <math>\frac{60}{100} \times 300</math> <math>= 180</math></p> <p>b) 60% were ripe and 25% were green Hence, ripe and green mangoes together total <math>60\% + 25\% = 85\%</math>  The whole consists of 100%. The remainder = <math>100\% - 85\%</math> <math>= 15\%</math>  Therefore, 15% of the mangoes were thrown away. The number of mangoes thrown away <math>= \frac{15}{100} \times 300</math> <math>= 45</math></p> <p>c) We may assume that Mr. Green would have lost money because he threw away some mangoes. Since 15% were thrown away, his loss can be 15% of \$60. <math>= \frac{15}{100} \times \\$60</math> <math>= \\$9</math></p> <p><b>The question did not mention what Mr. Green did with the mangoes. To incur a loss, he must sell the mangoes at a price lower than his cost. Since there is no information on his selling price, we cannot assume that he had a loss.</b></p>			

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42.	<p>There are 168 students in a school. There are twice as many girls as there are boys.</p> <p>a) Calculate the number of girls in the school.</p> <p><b>Answer: 112</b></p> <p>b) The students are to be divided into 7 classes so that each class has the same number of girls and the same number of boys.</p> <p>Calculate the number of girls and the number of boys in EACH class.</p> <p><b>Answer: 16 girls 8 boys</b></p> <p>c) Apples are sold in boxes each containing one dozen. How many boxes will the teacher have to buy so that EACH student receives ONE apple?</p> <p><b>Answer: 2 boxes per class OR 14 boxes for the entire school.</b></p>	<p>a) We can represent the number of students in school as follows:</p> <div style="border: 1px solid black; width: 200px; height: 20px; margin: 0 auto; text-align: center; padding: 2px;">168</div> <p>There are twice as many girls as there are boys.</p> <table border="1" style="margin: 0 auto; border-collapse: collapse;"> <tr> <td style="width: 33%;">Girls</td> <td style="width: 33%;">Girls</td> <td style="width: 33%;">Boys</td> </tr> </table> <p><math>\frac{2}{3}</math> of the school's population are girls, so the number of girls is</p> $\frac{2}{3} \times 168 = 112$ <p>b) 168 students comprise 112 girls and <math>168 - 112 = 56</math> boys.</p> <p>The 112 girls and 56 boys are divided equally into 7 classes.</p> <table style="margin: 0 auto; border-collapse: collapse;"> <tr> <td style="text-align: right; padding-right: 10px;"><math>7 \overline{)112}</math></td> <td style="text-align: right; padding-right: 10px;"><math>7 \overline{)56}</math></td> </tr> <tr> <td style="text-align: right; padding-right: 10px;"><u>16</u></td> <td style="text-align: right; padding-right: 10px;"><u>8</u></td> </tr> </table> <p>Hence each class will have 16 girls and 8 boys.</p> <p>c) Each of 168 students receives 1 apple. Each box has 1 dozen or 12 apples. In each class there are <math>16 + 8 = 24</math> students. Number of boxes of apples required per class is <math>24 \div 12 = 2</math> For the entire school, the number of boxes is <math>7 \times 2 = 14</math></p> <p><b>Part (b) would have been clearer if stated as follows: The boys are equally divided among the 7 classes and the girls are also equally divided among the 7 classes. Also, in part (c), one is unsure as to whether the teacher bought apples for a class of 24 or for the entire school population of 168.</b></p>	Girls	Girls	Boys	$7 \overline{)112}$	$7 \overline{)56}$	<u>16</u>	<u>8</u>			
Girls	Girls	Boys										
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43.	<p>The bottle in the diagram holds 2 litres of soda when full.</p> <div style="text-align: center;">  </div> <p>Jita fills 4 glasses with 180 ml of soda.</p> <p>a) How many litres of soda are left in the bottle?</p> <p><b>Answer: 1.28 litres</b></p> <p>b) How many MORE full glasses can she pour from the remaining soda?</p> <p><b>Answer: 7 glasses</b></p>	<p>a) 4 glasses each hold 180 ml The total amount of soda in all 4 glasses = <math>180 \times 4 = 720</math> ml</p> <p>The amount of soda left in the bottle = <math>2\text{ l} - 720\text{ ml}</math> = <math>(2 \times 1000) - 720\text{ ml}</math> = 1280 ml</p> <p>The amount in litres = <math>\frac{1280}{1000}</math> = 1.28 litres</p> <p>b) Number of glasses that can be poured from the remaining soda = <math>\frac{\text{Volume of soda remaining}}{\text{Volume of soda in 1 glass}}</math> = <math>\frac{1280}{180}</math> = 7 R 20ml</p> <p>Hence, 7 full glasses can be poured from the remaining soda and there will be 20 ml of soda left in the bottle.</p> <p><b>Although a diagram was provided, the question would have been free from ambiguity if stated as follows:</b> Jita filled 4 glasses, each holding 180 ml of soda.</p> <p><b>Some candidates may assume that the total poured into all 4 glasses was 180 ml. The number of ml left will now be</b> <math>2000 - 180 = 1720\text{ ml}</math> <b>= 1.72 litres</b> <b>In this case one glass would hold</b> <math>180 \div 4 = 45\text{ ml each.}</math> <b>The number of glasses that can now be filled would will be</b> <math>1720 \div 45 = 38.</math></p>			

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44.	<p>The price list in a cafeteria is shown below.</p> <table border="1" style="margin-left: auto; margin-right: auto;"> <thead> <tr> <th colspan="2">Price List</th> </tr> </thead> <tbody> <tr> <td>Hot dog</td> <td>\$5.50</td> </tr> <tr> <td>Drink</td> <td>\$2.25</td> </tr> <tr> <td>Apple</td> <td>\$1.75</td> </tr> </tbody> </table> <p>Sean bought 2 hot dogs, a drink and 2 apples. Sade bought a hot dog, 3 drinks and an apple.</p> <p>a) What is the TOTAL amount spent by Sean and Sade?</p> <p><b>Answer: \$30.75</b></p> <p>b) How much more than Sade did Sean spend?</p> <p><b>Answer: \$2.75</b></p> <p>c) Which item(s) can be bought with the difference in the amount spent by Sean and Sade?</p> <p><b>Answer: An apple or a drink</b></p>	Price List		Hot dog	\$5.50	Drink	\$2.25	Apple	\$1.75	<p>a) The cost of Sean's items is:            2 hot dogs: <math>\\$5.50 \times 2 = \\$11.00</math>            1 drink: <math>= \\$ 2.25</math>            2 apples: <math>\\$1.75 \times 2 = \\$ 3.50</math>            The total spent by Sean = <math>\\$16.75</math></p> <p>The cost of Sade's items is            1 hot dog <math>= \\$5.50</math>            3 drinks: <math>\\$2.25 \times 3 = \\$6.75</math>            1 apple: <math>= \\$1.75</math>            The total spent by Sade = <math>\\$14.00</math></p> <p>The total spent by both Sean and Sade  <math>= \\$16.75 +</math>  <math>\underline{\\$14.00}</math>  <math>\underline{\\$30.75}</math></p> <p>b) Sean spent more than Sade. The difference is <math>\\$16.75 - \\$14.00</math>  <math>\\$16.75 -</math>  <math>\underline{\\$14.00}</math>  <math>\underline{\\$ 2.75}</math></p> <p>c) For <math>\\$2.75</math>, either an apple costing <math>\\$1.75</math> or a drink costing <math>\\$2.25</math> can be bought, no other item can be bought.</p>			
Price List													
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45.	<p>The positions of triangles ABC, DBC and FEC are shown below.</p>  <p>a) What term is used to describe the movement of triangle ABC to the position of triangle FEC?</p> <p><b>Answer: a <math>\frac{1}{4}</math> turn in an anti-clockwise direction OR a <math>\frac{3}{4}</math> turn in a clockwise direction.</b></p> <p>b) The triangle ABC moves to the position of triangle BDC. Describe the movement fully.</p> <p><b>Answer: Reflection in the line BC</b></p> <p>c) What type of triangle is the combined shape, triangle ADC?</p> <p><b>Answer: Equilateral</b></p>	<p>a) Triangle ABC was moved to triangle FEC. Consider the line BC and its new position EC. The movement can be described as either:</p> <ul style="list-style-type: none"> <li>• A quarter turn in an anti-clockwise direction OR</li> <li>• A three-quarter turn in a clockwise direction as shown in the diagram below.</li> </ul>  <p>b) Triangle ABC is moved to triangle DBC. The movement is <b>supposed</b> to be a reflection in the line BC.</p> <p>c)</p>  <p>In triangle ABC, the angles at A and at B are both <math>60^\circ</math>. Hence, the third angle, at C, would also be <math>60^\circ</math>. Therefore, the triangle ABC is best described as equilateral.</p> <p><b>NOTE: There is no transformation or even a combination of transformations that could move triangle ABC to BDC. The triangle should be named DBC. Only then is it a reflection.</b></p>			

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46.	<p>The heights of a group of students in Standard I are given in the table below.</p> <table border="1"> <thead> <tr> <th>Name of Student</th> <th>Amina</th> <th>Betty</th> <th>Jon</th> <th>Avi</th> <th>Ela</th> <th>Sunil</th> </tr> </thead> <tbody> <tr> <td>Height (cm)</td> <td>75</td> <td>64</td> <td>84</td> <td>86</td> <td>47</td> <td>64</td> </tr> </tbody> </table> <p>a) What is the modal height?</p> <p><b>Answer: 64 cm</b></p> <p>b) Calculate the mean height of the group.</p> <p><b>Answer: 70 cm</b></p> <p>c) Amina left the group. What is the mean height of the new group?</p> <p><b>Answer: 69 cm</b></p>	Name of Student	Amina	Betty	Jon	Avi	Ela	Sunil	Height (cm)	75	64	84	86	47	64	<p>a) A table of the information is made.</p> <table border="1"> <thead> <tr> <th>Height</th> <th>Number of Students</th> </tr> </thead> <tbody> <tr> <td>47</td> <td>1</td> </tr> <tr> <td>64</td> <td>2</td> </tr> <tr> <td>75</td> <td>1</td> </tr> <tr> <td>84</td> <td>1</td> </tr> <tr> <td>86</td> <td>1</td> </tr> </tbody> </table> <p>The modal height is therefore 64 cm, since it occurred twice and all the other heights occurred only once.</p> <p>b) Mean height</p> $= \frac{\text{Total height}}{\text{Total number of students}}$ $= \frac{75 + 64 + 84 + 86 + 47 + 64}{6}$ $= \frac{420}{6}$ $= 70 \text{ cm}$ <p>c) When Amina left, the new total height = <math>420 - 75 = 345</math> cm</p> <p>The new number of students = <math>6 - 1 = 5</math></p> <p>The new mean =</p> $\frac{\text{New Total}}{\text{New number of students}} = \frac{345}{5}$ $= 69 \text{ cm}$	Height	Number of Students	47	1	64	2	75	1	84	1	86	1			
Name of Student	Amina	Betty	Jon	Avi	Ela	Sunil																									
Height (cm)	75	64	84	86	47	64																									
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